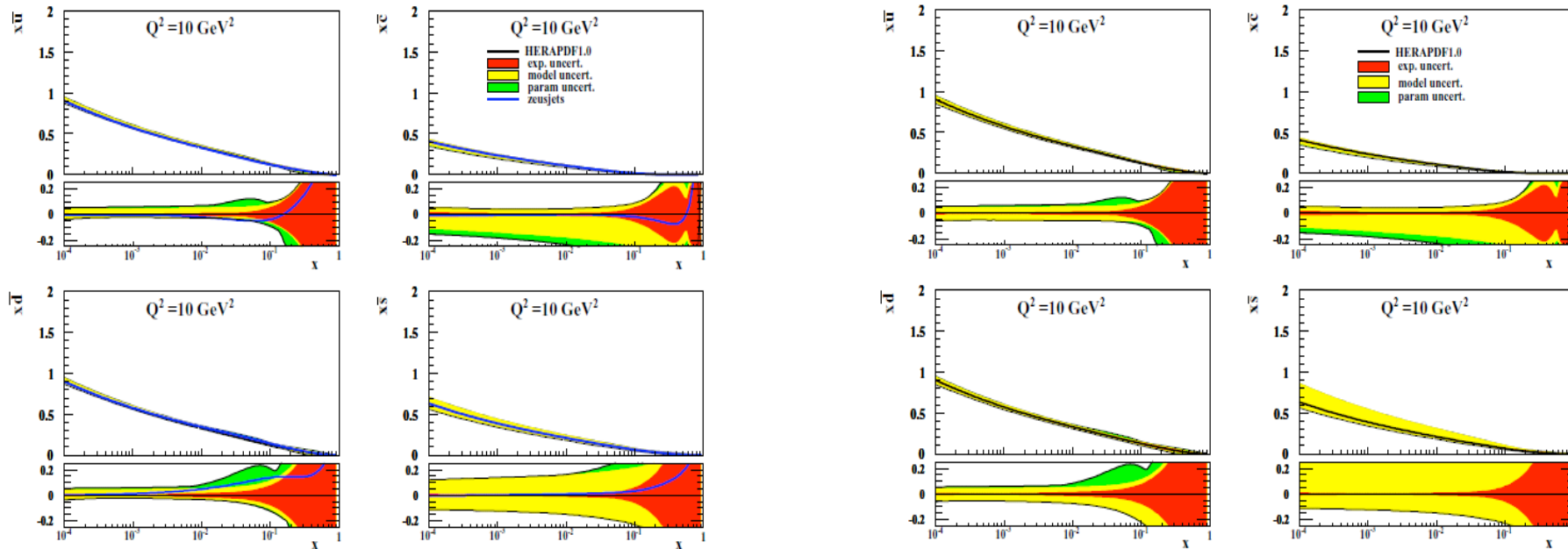


*Strangeness and  $d\bar{b}ar$ - $ubar$  studies*

*A M Cooper-Sarkar, Oxford*

*16 Nov 2009*

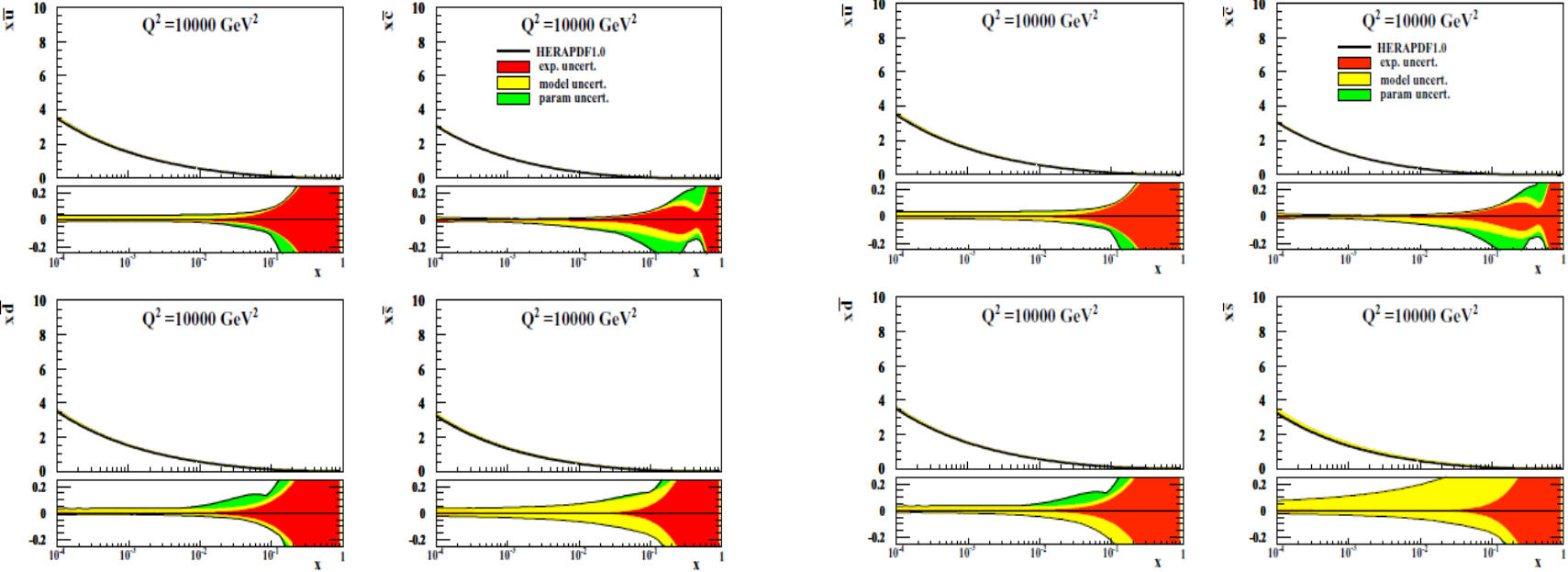
## Differences in PDFs with different assumptions as to strangeness



$\bar{u}, \bar{d}, \bar{c}, \bar{s}$  with HERAPDF1.0  
Usual  $f_s = 0.23$  to  $0.38$  variation

$\bar{u}, \bar{d}, \bar{c}, \bar{s}$  with HERAPDF1.0  
BUT with the upper model variation on  
strange  $f_s = 0.5$   
i.e.  $\bar{s} = \bar{u} = \bar{d}$   
This is quite visible

And now at  $Q^2=10000 \text{ GeV}^2$



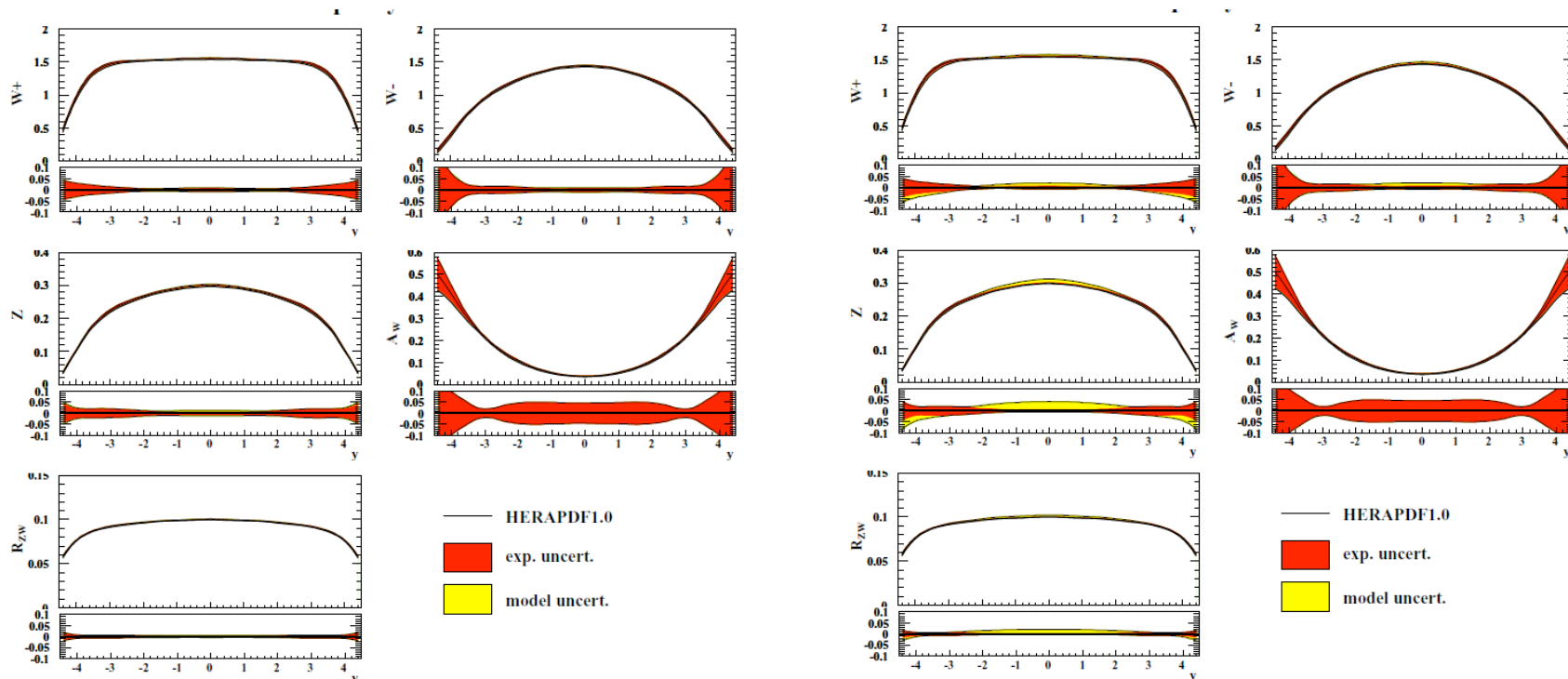
ubar,dbar,cbar,sbar with HERAPDF1.0

ubar,dbar,cbar,sbar with HERAPDF1.0  
 BUT with the upper model variation on  
 strange  $f_s=0.5$

i.e.  $sbar=ubar=dbar$

This is still visible but not overwhelming

Now let's look at W/Z production with different strangeness fractions  
 Plots include ONLY the strangeness model uncertainty  
 And no other model uncertainties

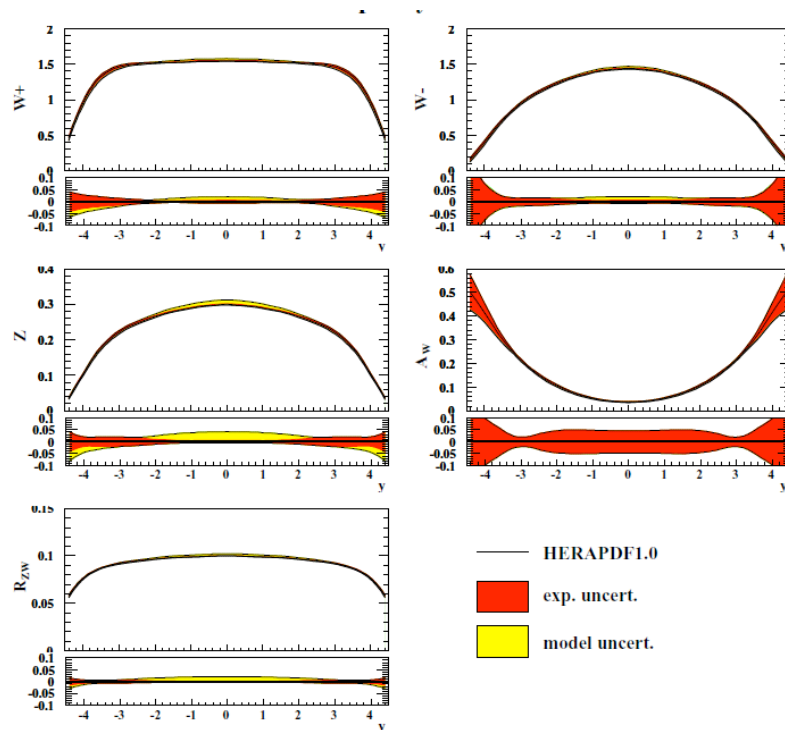


Usual strangeness model  
 uncertainty  $f_s=0.23$  to  $0.38$

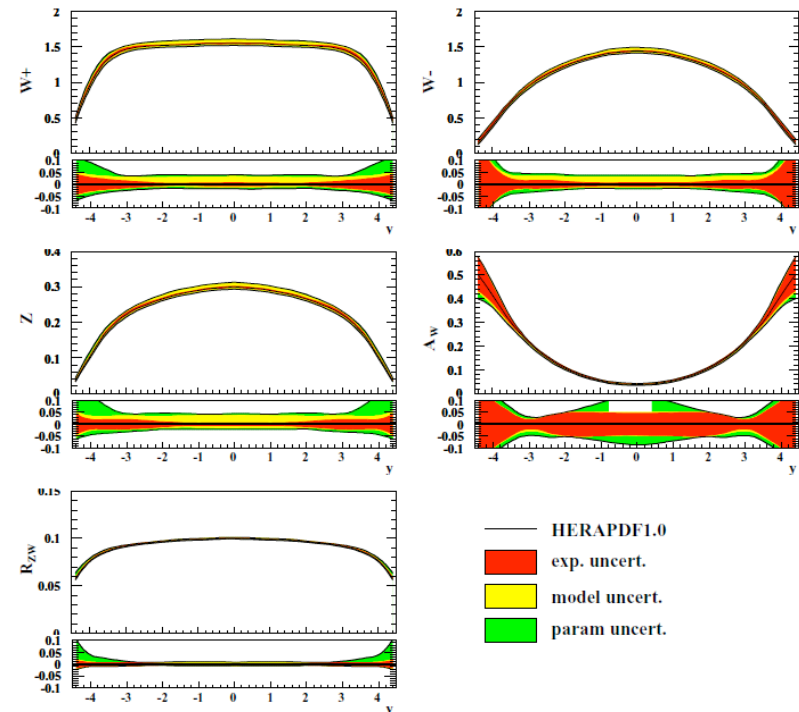
Strangeness model  
 uncertainty  $f_s=0.5$

This is certainly noticeable on  
 its own BUT..

## Strangeness model uncertainty ONLY $f_s=0.5$



## Total HERAPDF1.0 uncertainties



But compare this extreme strangeness variation to our usual model/param uncertainties-

It will be swamped by param. uncertainty and charm mass ( $m_c=1.65$ ) uncertainty

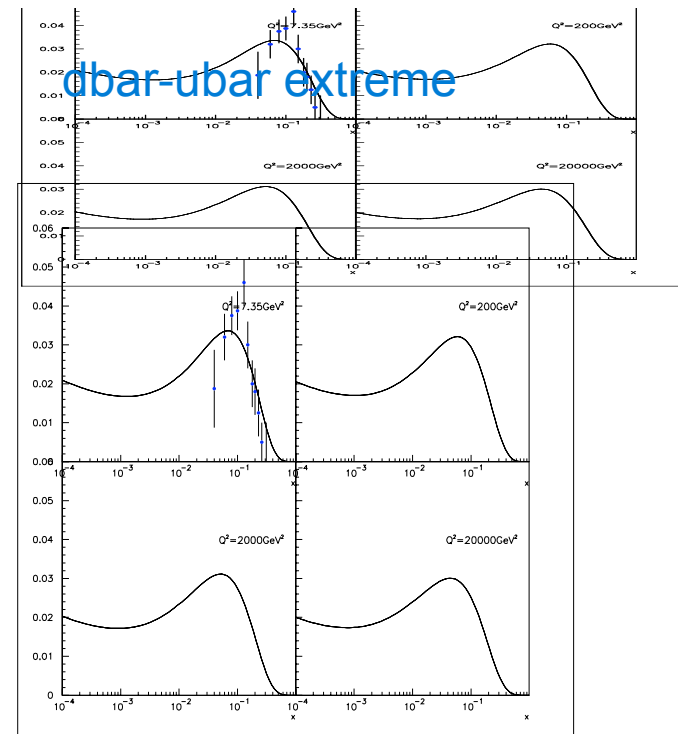
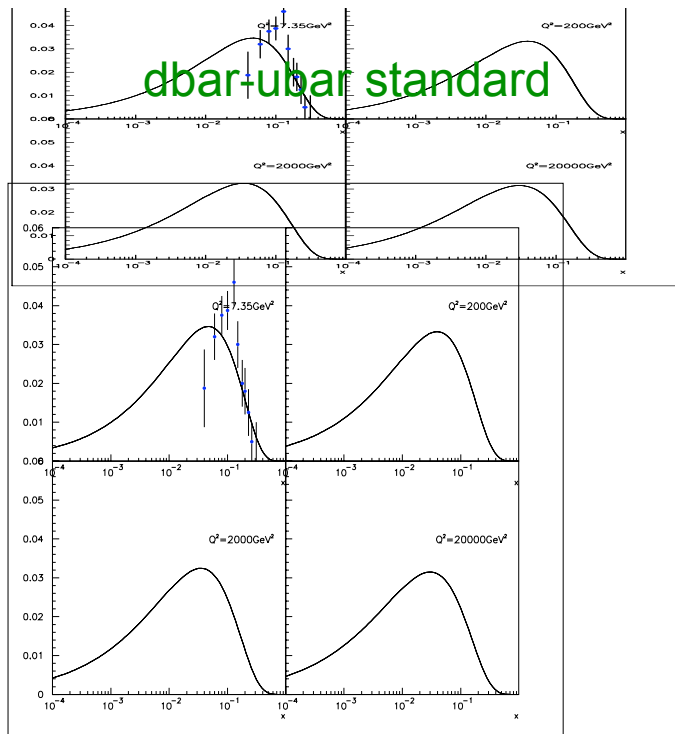
# Ubar-dbar differences

I have made two toy PDFs (based on ZEUS-j) in which the **only difference is dbar-ubar as  $x \rightarrow 0$** . The parametrisations are just like 'inbetween' except that instead of parametrising **Ubar** and **Dbar**, you parametrise **(ubar+dbar)** and **dbar-ubar**.

The **dbar-ubar** is not fitted but takes two variants:

Standard dbar-ubar =  $0.24 x^{0.5} (1-x)^9$  at  $Q^2_0$

Extreme dbar-ubar =  $0.005x^{-0.16}(1-x)^{13} (1+100x)$  at  $Q^2_0$



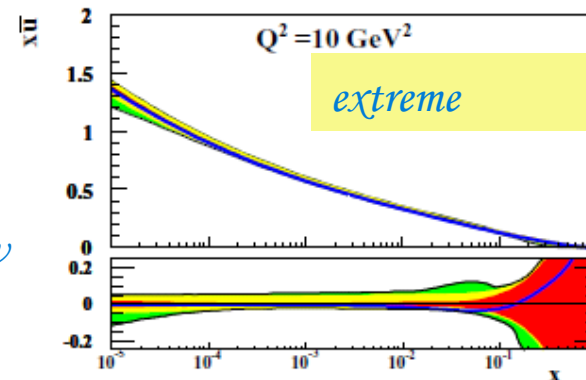
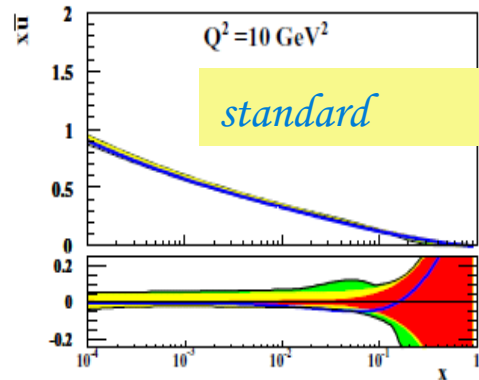
Note:

**dbar-ubar** measurements deduced from E866 data are superimposed

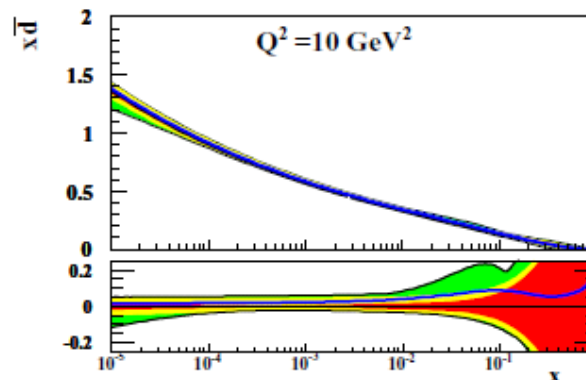
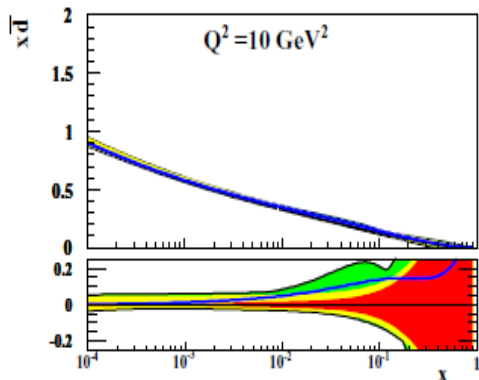
The problem with fitting **dbar-ubar** with parameters completely free is that we may not respect this **dbar-ubar** data

So with these dbar-ubar parametrisations, how do the regular ubar and dbar look?

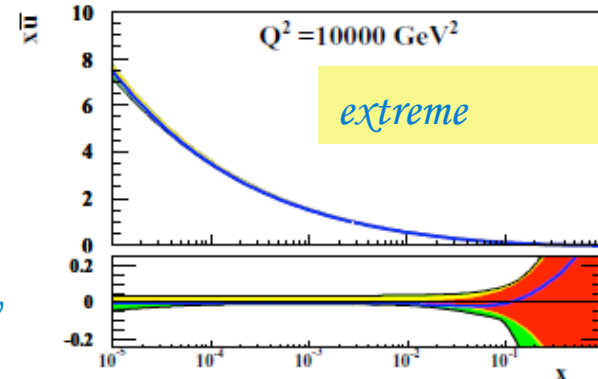
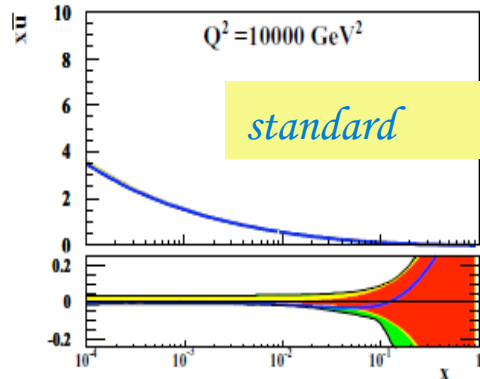
Look back at the slide before- remember HOW SMALL the measured dbar-ubar difference actually is: its  $\sim 0.04$  at  $x=0.1$  for  $Q^2=7.35$



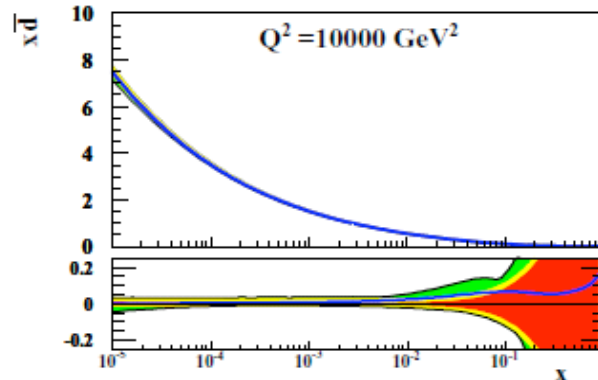
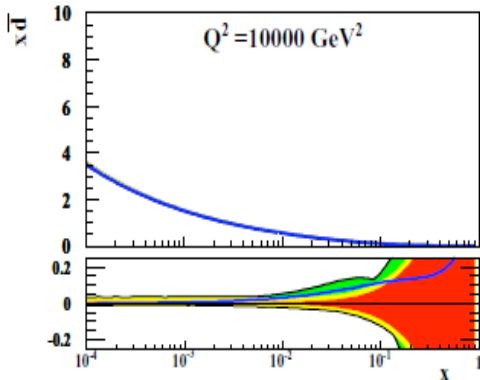
*The blue lines show  
the the two toy  
PDFS  
superimposed on  
HERAPDF1.0*



This is why you barely see this difference when you plot dbar and ubar themselves at this sort of scale – note the extreme parametrisation is extended to lower- $x$ , but is still barely different



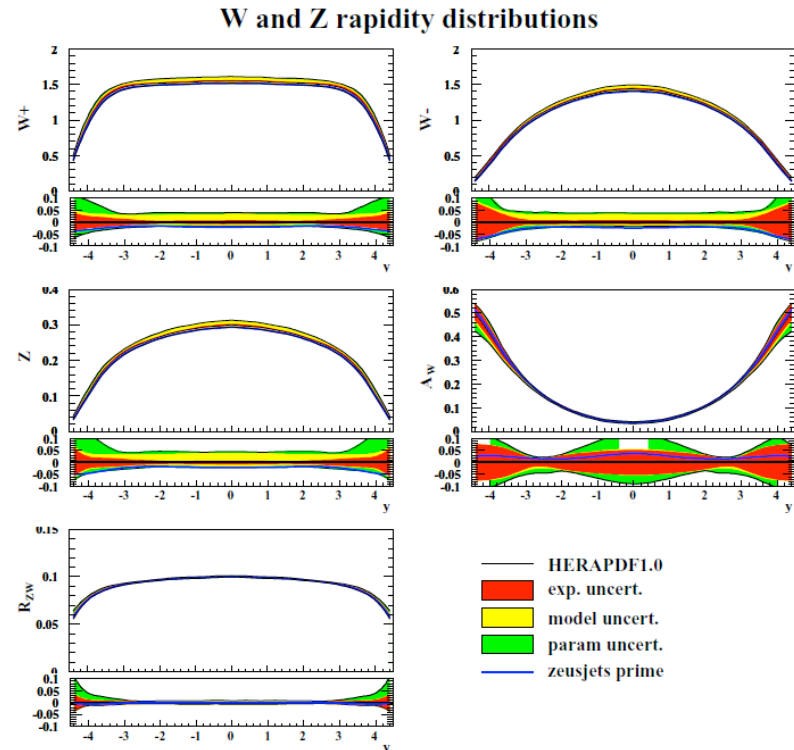
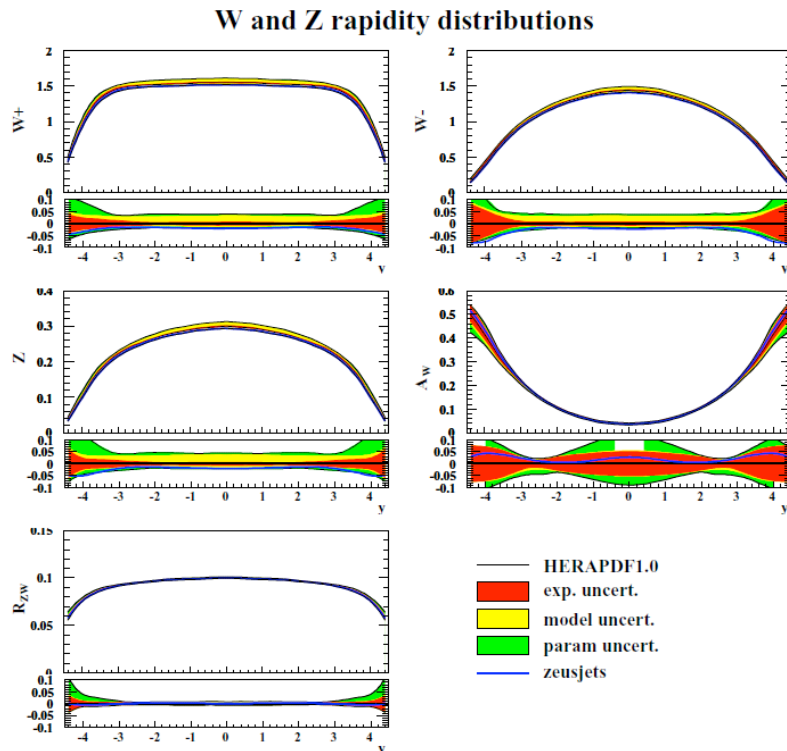
*The blue lines show  
the the two toy  
PDFS  
superimposed on  
HERAPDF1.0*



And the difference is even less significant at the W/Z scale because:

whereas  $\bar{u}$  and  $\bar{d}$  themselves evolve to become much larger at small  $x$  the difference between them does NOT change and thus it becomes **relatively smaller**





Thus it is no surprise that we can't tell the standard and extreme parametrisations apart at W/Z scale

These parametrisations are well within our usual HERAPDF1.0 error bands

SO one can argue that the 'extreme' parametrisation is Not extreme enough

BUT how extreme can one be while fitting the  $d\bar{u}$  data deduced from E866? – see slide 6